

A pragmatic perspective on asset prices and monetary policy

Alasdair Scott Bank of England Helsinki, 6 June 2006

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- Motivating question: how can we connect "proper" analysis of asset prices with the forecast?
- Is it realistic to think we can?
- Is it sensible to think we should?

Outline

- Asset prices: the conjuncture-forecast disconnect problem
- Some results: implications for asset prices from a New Keynesian model
- Where to next?

- Finance theory and macro models:
 - "But how does it relate to the forecast?"
 - "What if people are more uncertain?"

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Begging the question of risk premia

• Conditioning on market forward rate paths in published Inflation Report



• Plus conjunctural issues (eg, the yield conundrum)

Affine yield curve models



• But minimal structure – where's the story?

Asset prices in a structural model

- Principles:
 - Fundamental asset pricing equation

$$P_t = E_t[M_{t+1}X_{t+1}] \qquad 1 = E_t[M_{t+1}R_{t+1}]$$

- Example: consumption Euler equation

$$1 = E_t \left[\beta \frac{C_{t+1}^{-\gamma}}{C_t^{-\gamma}} R_{t+1} \right]$$

- Risk premia: price of risk times quantity of risk

$$rp_t \approx \gamma \cdot \eta_{c\varepsilon} \cdot \eta_{r\varepsilon} \cdot \sigma_{\varepsilon}$$

Asset prices in a structural model

Method:

- Take typical closed-economy New Keynesian model
 - optimising households and firms, monopolistically-competitive goods and labour markets, real and nominal rigidities, fiscal and monetary rules
- Specify assets available:
 - shares, real bonds, nominal bonds
- Use 2nd order perturbations to calculate unconditional expectations of asset returns
- Vary parameters and variances to link asset returns to structure and shocks

Structural models

- Take basic NK model
- Principle:

 $rp_t \approx \gamma \cdot \eta_{c\varepsilon} \cdot \eta_{r\varepsilon} \cdot \sigma_{\varepsilon}$

- Use 2nd order perturbations to calculate unconditional expectations of asset returns
- Vary parameters and variances to link asset returns to structure and shocks

Key equations: households

$$t \sum_{i=0}^{\infty} \beta^{i} U \begin{pmatrix} \frac{(C_{t+i}(a) - H_{t+i}^{C}(a))^{1-\gamma^{C}} - 1}{1-\gamma^{C}} \\ -\frac{(N_{t+i}(a) - H_{t+i}^{N}(a))^{1+\gamma^{N}} - 1}{1+\gamma^{N}} \\ +\frac{(\frac{M_{t+i}(a)}{P_{t+i}})^{1-\gamma^{M}} - 1}{1-\gamma^{M}} \end{pmatrix}$$

 $C_{t}(a) + \frac{T_{t}(a)}{P_{t}} + \frac{M_{t}(a)}{P_{t}} + \frac{V_{t}^{eq}}{P_{t}}S_{t}(a)$ + $\sum_{j=1}^{J} \frac{V_{j,t}^{bn}}{P_{t}}B_{j,t}^{n}(a) + \sum_{j=1}^{J}V_{j,t}^{br}B_{j,t}^{r}(a)$ = $\frac{W_{t}}{P_{t}}N_{t}(a) + \frac{M_{t-1}(a)}{P_{t}} + \frac{V_{t}^{eq} + D_{t}}{P_{t}}S_{t-1}(a)$ + $\sum_{j=1}^{J} \frac{V_{j-1,t}^{bn}}{P_{t}}B_{j,t-1}^{n}(a) + \sum_{j=1}^{J}V_{j-1,t}^{br}B_{j,t-1}^{r}(a).$

Preferences:

External habits in consumption External habits in labour Money in utility Budget constraint:

Financial assets: equity shares, money, nominal and real bonds of different maturities

Key equations: firms and government

- Monopolistically-competitive firms
- Rotemberg (1982) price adjustment costs

$$\max E_{t} \sum_{i=0}^{\infty} \beta^{i} \frac{\Psi_{t+i}(z)}{\Psi_{t}(z)} \left\{ D_{t+i}(z) - \frac{\chi^{P}}{2} \left(\frac{P_{t+i}(z)}{\overline{\pi}P_{t+i-1}(z)} - 1 \right)^{2} P_{t+i} Y_{t+i} \right\}$$

• Dividends

$$D_{t+i}(z) = P_{t+i}(z)Y_{t+i}(z) - W_{t+i}N_{t+i}(z) - P_{t+i}I_{t+i}(z)$$

• Monetary Policy Rule

$$R_{1,t}^{cb} = \theta^R R_{1,t-1}^{cb} + (1 - \theta^R) [\overline{R}\overline{\pi} + \theta^\pi (\pi_t - \overline{\pi})] + \varepsilon_t^R$$

Some initial results

The shock matters:

- Raising the degree of real rigidities always raises risk premia
- Raising the degree of nominal rigidities <u>raises</u> risk premia when there are only <u>demand</u> (ie, monetary policy) shocks
- Raising the degree of nominal rigidities <u>lowers</u> risk premia when there are only <u>real</u> (ie, productivity) shocks.

Changing nominal rigidities when there are only monetary policy shocks



- 1. Negative covariance
- 2. Negative autocorrelation in the stochastic discount factor
- 3. Nominal rigidities increase the variability of the SDF and equity returns

Changing nominal rigidities when there are only monetary policy shocks





Changing nominal rigidities when there are only productivity shocks



- 1. Negative covariance
- 2. Negative autocorrelation in the stochastic discount factor
- 3. Nominal rigidities <u>reduce</u> the variability of the SDF and equity returns

Changing nominal rigidities when there are only productivity shocks



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Where can this go?

- Potential future directions:
 - More structure and more shocks
 - Open economy and exchange rate
- But is it *realistic*?
 - We need a workhorse theory of time-varying risk premia that fits the facts (habits?)
 - 3rd order expansions to implement
- And is it *practical* and *sensible*?
 - Danger of the über-model?